

NOAA Weeks 3-4 & S2S Webinar *October 4, 2021*<br>
USING SIMPIC, explainable neural networks to predict the Madden-Julian oscillation

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### The Madden-Julian **Oscillation**



# Summary of MJO Prediction

#### **From 2010 up to ~now …**

Statistical Models

Empirical models which use statistical techniques to predict future MJO behavior given past relationship

- ~2 weeks of skill
- Wide range of approaches, but nearly all methods linear

Dynamical Models (Global) models which solve fluid dynamic & related equations, initialized from observations

- 3-5 weeks of skill
- Since 2000s, model processes improved, ensembles grew, intercomparisons developed

## Summary of MJO Prediction

#### **The future of statistical MJO prediction…**

Non-linear methods and machine learning!

### Machine Learning



## Machine Learning





 $X \cdot A + y$ 

## Machine Learning

Artificial neural network models:

- Incorporate non-linearity into the data transformations
- Iterate over data during "training" data to minimize a *loss function* that describes how skillful the model prediction are



Maps of the key daily tropical variables (pre-processed)



Information about an **MJO index** at MACHINE Various leads

Maps of the key daily tropical variables (pre-processed)



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We explore **2 machine learning frameworks** for MJO prediction: one deterministic and one probabilistic

#### **Regression Model**

❖ Deterministic model which outputs *numerical values*



#### Regression ANN Model



Martin et al. (2021; submitted)

#### Regression ANN Model



#### **Classification Model**

❖ Model which outputs the *probability* across various categories





#### **Classification Model**

❖ A model which outputs the *probability* across various categories





Martin et al. (2021; submitted)

#### ❖ **How skillful are ML models at predicting the MJO?**

- ❖ ANN approaches can provide skillful MJO prediction out to past 2 weeks, better than traditional statistical models
- ❖ **How might ML be useful to study and understand the MJO, in addition to predict it?**





"Layerwise-relevance propagation" & other tools can help understand how the models work



"Layerwise-relevance propagation" & other tools can help understand how the models work



(g) OLR Input Composite (Phase 5; Lead-10 ANN)



 $-1.00 - 0.75 - 0.50 - 0.25$  0.00 0.25 0.50 0.75 1.00 Value (unitless/normalized)

(b) Lead 0 OLR Relevance (Confidence  $\geq 60$  percentile)



(h) OLR Relevance (Confidence  $\geq 60$  percentile; Lead-10 ANN)



- ❖ **How skillful are ML models at predicting the MJO? How might one frame MJO prediction in an ML context?**
	- ❖ ANN approaches can provide skillful MJO prediction out to past 2 weeks, better than traditional statistical models
- ❖ **How might ML be useful to study and understand the MJO, in addition to predict it?**
	- ML models computationally efficient, flexible, and explainable
	- ❖ XAI methods & model experimentation might be useful tools to better understand sources & regions of model skill

Thanks!

(g) OLR Input Composite (Phase 5; Lead-10 ANN)



Martin et al. (2021; submitted)

#### Additional Slides

Fully-connected artificial neural network



A *linear* data transformation might take the form:

 $W \cdot X + b$ 

Fully-connected artificial neural network



Neural network models introduce *non-linearity* into their transformations



Chollet 2018







#### Regression ANN Model





Martin et al. (2021; submitted)

# A Machine-Learning Framework for the MJO<br>
0.8 (a) 1-Variable Models (active MJO)



Martin et al. (2021; submitted)

- ❖ How skillful are machine learning models at predicting the MJO?
- ❖ How might ML be useful to study and understand the MJO?



*Training Data:* May 1979– Dec. 2010 *Validation Data:* Jan. 2010 – Nov. 2019

- ❖ How skillful are machine learning models at predicting the MJO?
- ❖ How might ML be useful to study and understand the MJO?

#### ❖ **How might ML be useful to study and understand the MJO, in addition to predict it?**

- ❖ ML models computationally efficient, flexible, and explainable
- ❖ XAI methods & model experimentation might be useful tools to better understand sources & regions of model skill





#### Thanks!

### A Machine-Learning Framework **for the MJO**<br>Winter Model Forecast Skill



Martin et al. (2021; submitted)

"Layerwise-relevance propagation" & other tools can help understand how the models work



(b) Lead 0 OLR Relevance (Confidence  $\geq 60$  percentile)

0.00	0.06	0.12	0.18	0.24	0.30
			Relevance (unitless)		

(a) Lead 0 OLR Composite (Phase 5)



(c) Lead 0 u850 Composite (Phase 5)



(e) Lead 0 u200 Composite (Phase 5)



#### (g) Lead 10 OLR Composite (Phase 5)



(i) Lead 10 u850 Composite (Phase 5)



(k) Lead 10 u200 Composite (Phase 5)



 $-1.00 - 0.75 - 0.50 - 0.25$  0.00 0.25 0.50 0.75 1.00 Value (unitless/normalized)

(b) Lead 0 OLR Relevance (Confidence  $\geq 60$  percentile)



(d) Lead 0 u850 Relevance (Confidence  $\geq 60$  percentile)



(f) Lead 0 u200 Relevance (Confidence  $\geq 60$  percentile)



(h) Lead 10 OLR Relevance (Confidence  $\geq$  60 percentile)



(j) Lead 10 u850 Relevance (Confidence  $\geq 60$  percentile)



#### (I) Lead 10 u200 Relevance (Confidence  $\geq 60$  percentile)



Martin et al. (2021; in prep)



Value (unitless/normalized)

Relevance (unitless) Martin et al. (2021; in prep)



#### **Regression Model**

❖ A model which outputs *numerical values*

Martin et al. (2021; in prep)







Figure S3



Figure S6: Strong training





Figure S7: sensitivity tests



Fig. S11: Additional variable tests of combinations of 4, 5, or 6 inputs

1. "Persistence" model which simple persists the initial condition

 $RMM1(t_0 + \tau) = RMM1(t_0)$  $RMM2(t_0 + \tau) = RMM2(t_0)$ 

#### 2. **Vector autoregressive (VAR) scheme** (Maharaj & Wheeler 2005; Marshall et al. 2016)

Statistical bivariate forecast which captures 1-day typical change in RMM and steps forward (essentially akin to our prior "persistence" model)

$$
\begin{bmatrix} RMM1(t) \\ RMM2(t) \end{bmatrix} = L \begin{bmatrix} RMM1(t-1) \\ RMM2(t-1) \end{bmatrix}
$$

MLR used to calculate **L** in each season

Marshall et al. 2016: M21 "**L**":

 $RMM1_t = 0.9616$  (RMM1<sub>t-1</sub>) - 0.1135 (RMM2<sub>t-1</sub>) RMM2<sub>t</sub> = 0.1257 (RMM1<sub>t-1</sub>) + 0.9875 (RMM2<sub>t-1</sub>)



#### 3. **Multiple linear regression (MLR) scheme** (Kim 2008; Jiang et al. 2008; Kang & Kim 2010; Seo et al. 2009, Wang et al. 2019)

Predicts RMM at lead  $\tau$  given RMM at initial time and on prior days. Follow Kim & Kang (2010) who found j=2 (e.g. day 0 and day -1) is ok (Seo et al. 2009 used pentad data and retained more days, but change seemed relatively small).

$$
\begin{bmatrix} RMM1(t_0 + \tau) \\ RMM2(t_0 + \tau) \end{bmatrix} = L_{\tau} \ \Sigma_{j=1} \begin{bmatrix} RMM1(t_0 - j + 1) \\ RMM2(t_0 - j + 1) \end{bmatrix}
$$



